KUPERVASSER OLEG YURJEVICH WANNER NATALIA EDUARDOVNA

# Continuum Solution Models for Computer Aided Drug Design

The second edition, Colour

(The first edition: Aracne, Italy)



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# KUPERVASSER OLEG YURJEVICH WANNER NATALIA EDUARDOVNA

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ACKNOWLEDGMENTS	_i
1 CHAPTER INTRODUCTION	1
2 CHAPTER AN ALGORITHM FOR THE FORMATION OF A SMOOT MOLECULAR SURFACE	СН 5
2.1 Introduction	5
2.2 Stages of the Formation of Molecular Surfaces	14
2.2.1 Reception of Initial Data and Filling of Inner Structures. Input and Output Data	14
2.2.2 Determination of the Eigenbasis of a Molecule and Transformation into This Base	is 15
2.2.3 Partitioning of the Outer and Inner Space of a Molecule into Overlapping Cubic Domains	16
2.2.4 Primary and Secondary Rolling	17
2.2.4.1 Primary Rolling	17
2.2.4.2 Secondary Rolling 2	22
2.2.5 Forming the Independent Surface Atom and Segment Groups, Each of Which Corresponds to One and Only One Surface	27
2.2.6 Determining the Parameters of Spherical and Toroidal Segments	27
2.2.6.1 Determining the Parameters of the Convex Spherical Segments of Surface Atoms	27
2.2.6.2 Determining the Array of the Center Coordinates of Primary Concave Spherical Fragments (Primary Spherical Bridging) between the Triplets of Atoms _ 2	29
2.2.6.3 Determining the Arrays of the Parameters of Toroidal Fragments between Atomic Pairs	33
2.2.6.4 Determining the Array of the Center and Radius Coordinates of Secondary Spherical Fragments (Secondary Spherical Bridging) between Triplets of Primary Spherical Fragments	35

2.2.6.5 Determining the Array of the Center and Radius Coordinates of Pairs of Secondary Spherical Fragments (Steady-State Position Spheres) That Smooth Primar Rolling Tori in the Case of Their Self-Overlapping or Narrow Necks 3	у 37
2.2.6.6 Determining the Array of the Center and Radius Coordinates of Secondary Spherical Fragments (Secondary Spherical Bridging) between Triplets of Primary Spherical Fragments3	38
2.2.7 Solvent Accessible Surface 4	41
2.3 Conclusions	42
3 CHAPTER AN UNIVERSAL ADAPTIVE ALGORITHM FOR TH TRIANGULATION OF A SMOOTH MOLECULAR SURFACE4	ίΕ 43
3.1 Introduction 4	43
3.2 Stages of the Triangulation of Molecular Surfaces 4	45
3.2.1 Input and Output Data of the Algorithm 4	45
3.2.2 Determination of the Eigenbasis of a Molecule and Transformation into This Basis. Partitioning of the Outer and Inner Space of a Molecule into Overlapping Cubic Domains4	45
3.2.3 Checking Whether All the Atoms Lie Within One and Only One Outer Molecular Surface	: 46
3.2.4 Triangulation Algorithm	46
3.2.4.1 Projection Algorithm: Determining the Nearest Projection of a Specified Space Point onto the Surface of a Molecule 4	се 46
3.2.4.2 Mechanisms of the Adaptive Adjustment of the Grid Step 4	49
3.2.4.3 Determining the Position of a Seed Triangle5	50
3.2.4.4 Triangulation Algorithm after the Creation of a Seed Triangle. Generation of Triangulation Grid via the Sequential Addition of Triangles5	a 51
3.2.4.1 Grid Generation Algorithm 5	51
3.2.4.4.2 Procedure of Detouring along the Edges of a Current Polygon. Cycle Enumeration of Current Edges and Selection of a Suitable Scenario (All the Possible Scenarios Are Listed Below the Description of the Algorithm)5	51
3.2.4.4.3 Main Scenario of Adding a New Triangle or Processing the Current Boundary Edges (Fig. 3.2, 3.3) 5	56
3.2.4.4 Final "Settling" of the Grid 5	59
3.2.4.5 Forming the Arrays of the Parameters of Surface Elements on the Basis of Surface Triangulation Data5	59
3.2.4.5.1 Formulas for the Areas of Triangular Surface Elements 0	51

3.2.4.5.2 Formation of Polygonal Surface Elements and Calculation of Their Parameters	. 65
3.2.4.5.3 SAS Elements	65
3.2.4.5.4 Calculating the Areas and Volume of SES and SAS	67
3.3 Conclusions	67
4 CHAPTER CALCULATING THE ANALYTICAL GRADIENTS OF T PARAMETERS OF MOLECULAR SURFACE ELEMENTS OVER THE ATOM COORDINATES	'HE ⁄IIC _ 69
4.1 Introduction	. 69
4.2 Analytical Gradients of the Parameters of Surface Elements	70
4.2.1 SES Element Lies on a Sphere (Fig. 4.2)	71
4.2.2 SES Element Lies on a Torus	71
4.2.2.1 One of the Supporting Spheres ( $\mathbf{r}_2$ ) is Shifted Perpendicularly to the Axis o Torus (Fig. 4.3)	of a _ 72
4.2.2.2 One of the Supporting Spheres ( $\mathbf{r}_2$ ) is Shifted along the Axis of a Torus (Fi 4.4)	g. 72
4.2.3 SES Element Lies on the Boundary between Segments of Different Types	75
4.2.4 SAS Element	75
4.2.5 Result	75
4.3 Detailed Formulas for the Analytical Gradinets of Segments of Different Types	76
4.3.1 Atom Surface Elements	76
4.3.2 Surface Elements That Lie on a Primary Probe Ball Supported by Three Atoms (Fig. 4.5)	_ 77
4.3.3 Surface Elements that Lie on the Sphere of a Secondary Probe Ball Supported by Three Primary Rolling Spheres (Fig. 4.6)	y 80
4.3.4 Points on the Surface of Secondary Steady-State Position Spheres (Fig. 4.7)	82
4.3.5 Primary Rolling of Two Atoms. Primary Rolling Tori (Fig. 4.8)	86
<ul><li>4.3.6 Secondary Rolling of Two Primary Rolling Spheres. Secondary Rolling Tori (Fig.</li><li>4.9)</li></ul>	88
4.3.7 Consideration of a Boundary Polygonal Surface Element Composed by Triangles Whose Apices Do Not Belong to the Same Surface Element	s, _ 92
4.4 SAS Elements and Their Analytical Gradients	96
4.5 Computer-Aided Verification of Calculations	. 99

4.6 Conclusions1	.00
5 CHAPTER CALCULATING THE ANALYTICAL GRADIENTS OF THE SOLVATION ENERGY OVER THE ATOMIC COORDINATES1	-IЕ 103
5.1 Introduction1	.03
5.2 Physical Models1	.05
5.2.1 Polar Component of the Solvation Energy1	05
5.2.1.1 Polarized Continuum Model1	05
5.2.1.1.1 Principal Equations for the Energy in the Polarized Continuum Model 1	05
5.2.1.1.2 Analytical Derivatives for the Matrices in the Polarized Continuum Mod	lel .09
5.2.1.1.3 Analytical Gradients of the Energy in the Polarized Continuum Model 1	.12
5.2.1.2 Conductor-Like Screening Model1	13
5.2.1.2.1 Principal Equations for the Energy in the Conductor-Like Screening Model1	.13
5.2.1.2.2 Analytical Derivatives for the Matrices in the Conductor-Like Screening Model1	.15
5.2.1.2.3 Analytical Derivatives of the Energy in the Conductor-Like Screening Model1	.16
5.2.1.3 SGB Model1	16
5.2.1.3.1 Principal Equations for the Energy in the SGB Model1	16
5.2.1.3.2 Analytical Gradients of the Energy in the SGB Model1	17
5.2.2 Non-Polar Component of the Solvation Energy1	19
5.2.2.1 Principal Equations for the Non-Polar Energy Component1	19
5.2.2.2 Gradients of the Non-Polar Component of the Solvation Energy1	20
5.3 Computer-Aided Verification of Calculations1	20
5.3.1 Comparing the Numerical and Analytical Gradients for the PCM, COSMO, and SGB Methods (Fig. 5.2)1	.20
5.3.2 Comparing the Analytical Gradients for the COSMO and SGB Methods with the Analytical Gradients for the PCM Method1	21
5.4 Conclusions1	24
6 CHAPTER SOFTWARE VALIDATION1	.27

METHOD	E COSM 1.
7.1 Introduction	13
7.2 PCM with the Enlarged Surface Meshes For $\varepsilon = \infty$ .	13
7.3 Derivation of the COSMO Equation	14
7.3.1 Correction of the Discretization Errors for the Matrix $B_{(COSMO)}^T$ Based Condition (3)	on14
7.3.2 Calculation of the Diagonal Elements of the Matrix A <sub>(COSMO)</sub> .	14
7.3.3 Normalization Conditions for COSMO Surface Charges	14
7.3.4 Algorithm of Solution	1-
7.3.5 Derivatives of the Diagonal Elements of the Matrix A <sub>(COSMO)</sub> .	1
7.4 Enlarged Surface Meshes for the COSMO	1
7.4.1 Calculation of the Size of the Surface Meshes	1
7.4.2 Derivatives of the Diagonal Elements of the Matrix Y	1
7.5 Conclusions	1
Appendix 1. Algorithm for Calculating the Normals from the Coordinates of the Meshes	Surface 1
Appendix 2. Algorithm for Determining the Distribution of Nonzero Charge over Initial Cavity with Metal inside and Vacuum outside It	er the 1
8 CHAPTER AN ITERATIVE METHOD FOR CALCULATING TH COMPONENT OF THE MOLECULAR SOLVATION GIBBS ENERGY SMOOTH CHANGE IN THE DIELECTRIC PERMITTIVITY OF A SOLUTIO	ie pola Under On1
8.1 Introduction	1
8.2 Iteration Scheme of the Method	1
8.3 Model of the Smooth Charge in the Dielectric Permittivity at the Substrate-So Boundary	olvent 1
8.4 Comparison of the Results of Calculating the Polar Energy by the Method Pr This Work With the Experimental Data and the Results Obtained by the Polariza Continuum Model Method	oposed in able1
8.5 Conclusions	1
Appendix	1

9 CHAPTER THE MYSTERIOUS OPTIMALITY OF NAIVE BA	YES MODEL, USED
FOR SEARCHING QUANTITATIVE STRUCTURE-ACTIVI	TY RELATIONSHIP
(QSAR)	179
9.1 Introduction	179
9.2 Statement of the problem	181
9.3 Notation and preliminaries	182
9.4 Generic form of $P(A x_1,x_2)$	184
9.5 Restrictions on the functions $J(a,b)$ and $\overline{J}(a,b)$	187
9.6 Definition of distance	189
9.7 Restraints for basic functions	190
9.8 Optimization	192
9.9 Mean distance between the proposed approximation of $P(A x_1,$	$x_2$ ) – $\Gamma(\alpha,\beta,\theta)$
and the actual function $P(A x_1,x_2)$	200
9.10 The case of more than two variables <i>A</i> and <i>X</i>	205
9.11 Conclusions	206
10 CHAPTER CONCLUSIONS	207
REFERENCES	209

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# **1 CHAPTER INTRODUCTION**

The main paradigm used in the modern development of new drugs consists in the following. Many diseases are associated with the functioning of certain proteins, so they must be blocked to cure diseases. For example, a target protein may belong to a virus, and its blockage disables the reproduction of a virus in an organism. Blockage is performed with the use of molecules that selectively bind to these proteins in an organism. Such molecules that serve as a basis for new drugs are called inhibitors. As a rule, inhibitors represent comparatively small organic molecules that bind to certain areas of target proteins. These areas are called binding sites or active sites. The search for such inhibitor molecules for a given target protein is the initial stage in the development of a new drug. The fast and efficient solution of this problem governs to a considerable degree the minimization of material expenditures and the duration of subsequent stages in the development of a new drug. With respect to time, the stage of developing new inhibitors takes nearly 50% of the total duration of the development of a new drug.

The time and material expenditures at the stage of searching for inhibitors can considerably be reduced with the use of computer-aided molecular modeling methods [1], among which docking is of first importance. Docking is the positioning of molecules that are candidates to inhibitors (they are often called ligands, from Latin *ligare* that means *to bind*) at the active site of a target protein and the estimation of their binding energy. The stronger a molecule

#### INTRODUCTION

binds to a protein, the better is an inhibitor and the more efficient is the drug based on this inhibitor. Docking is performed with the special molecular modeling software [2] that is also used on supercomputers.

The precision of estimating the protein–inhibitor binding energy governs the efficiency of predicting the activity of an inhibitor: the higher is the binding energy, the more active is an inhibitor and the more efficient is the drug based on this inhibitor, as the required effect can be attained at a lower drug concentration. If the precision of calculating the protein–inhibitor binding energy is insufficiently high, the probability of predicting whether new synthesized compounds (ligands) will inhibit this protein is low, and a great deal of materials, which are used to synthesize ligands and measure their inhibiting activity, and corresponding time are wasted. A sufficiently high practical predictability is attained at an error in calculating the protein–inhibitor binding energy of lower than 1 kcal/mol. For this reason, the precision of calculating all the contributions to the protein–inhibitor binding energy must be maximally high in the molecular modeling of the interaction of ligands with target proteins.

The precision of estimating the protein-inhibitor binding energy in molecular modeling is governed by many factors, e.g., the quality of a force field used for the description of intra- and intermolecular interactions, the efficiency of searching for a global minimum in the course of positioning an inhibitor in the active site of a target protein, the estimated contribution of the entropy component to the free protein-inhibitor binding energy, etc. Since the binding of an inhibitor to a protein in experiments (*in vitro* and *in vivo*) occurs in an aqueous solution, the presence of a solvent (water) must be taken into account, when calculating the protein-inhibitor binding energy.

The effect of a solvent on the protein-inhibitor binding energy is predominantly determined via the desolvation energy, which represents the difference between the solvation energy of a protein-ligand complex and the solvation energies of individual protein and ligand. This contribution to the protein-ligand binding energy is caused by that a solvent (water) is forced out of the active site of a protein upon the binding of a ligand to a protein, and some atoms in a ligand and a protein's active site cease to interact with a solvent. Hence, to determine the desolvation energy, it is necessary to calculate the solvation energies of a protein, a ligand, and their complex.

To calculate the free solvation energy, it is necessary to construct a solvent model. This may be done explicitly, considering a solvent as a set of a great number of molecules. However, this method needs comparatively high expenditures of computational resources in modeling, as the calculation of the observed effects requires us to perform the averaging over the state of solvent

#### INTRODUCTION

molecules, for example, by the molecular dynamics or Monte-Carlo methods. For this reason, implicit (often called continual) solvent models [3–14], in which a solvent is treated as a continuous (continual) medium with specified properties, including dielectric permittivity, are used more frequently.

The present work is devoted to the DISOLV software [9,14-16] that allows us to find the free solvation energy of molecules and its gradients over the displacements of atoms in molecules, as the DISOLV software will be used to optimize the structure of molecules in a solvent with both the force field methods and the quantum-chemical methods, in which the gradient-based local optimization algorithms are usually applied.

The free Gibbs energy  $\Delta G_s$  for the process of solvation, i.e., the transition of a molecule fr om a vacuum into a solvent or, briefly, the solvation energy, is represented as the sum of the three components

$$\Delta G_{s} = \Delta G_{pol} + \Delta G_{np} + \Delta G_{cav},$$

where  $\Delta G_{pol}$  is the polar component of the interaction of a dissolved substrate molecules with a solvent,  $\Delta G_{np}$  is the non-polar component of the interaction of a dissolved molecule with a solvent due to van der Waals forces of intermolecular interaction, and  $\Delta G_{cav}$  is the cavitation component of the free solvation energy due to the formation of a cavity comprising a dissolved molecule in the volume of a solvent.

In the DISOLV software, much attention is concentrated on the calculation of the polar component  $\Delta G_{pol}$  of the interaction of a molecule with a solvent (or, briefly, the polarization energy) using several methods, and the other solvation energy components  $\Delta G_{np}$  and  $\Delta G_{cav}$  are taken into account by a simple and rather widely applied method (see below).

Within the framework of the used continual model, the solvation energy represents the energy of the electrostatic interaction of atomic charges in a molecule located in the cavity of a dielectric with surface charges induced by them on this surface.

By now, many existing implicit solvent models and their software implementations have been integrated into larger packages, e.g., the quantum-

#### INTRODUCTION

chemical packages Gaussian [17], Gamess [18], MolPro [19], MOPAC [20], the molecular dynamics package Charmm [21], and the free programs for finding the polar component of the interaction with a solvent, e.g., DelPhi [22] or APBS [23], implement the numerical solution of the finite-difference approximation of the three-dimensional Poisson–Boltzmann equation.

The objective of the present book is to describe the original algorithms that are designed to calculate the polar component of the solvation energy of molecules and aimed at solving the corresponding equations on the twodimensional surface of a solvent surrounding a molecule, their software implementation DISOLV written in C++, and its corresponding validation. At the end of the book, we perform the brief comparison of the characteristics of DISOLV with the corresponding characteristics of APBS [23] that implements the numerical solution of the Poisson–Boltzmann equation in a 3D space.

# 2 CHAPTER AN ALGORITHM FOR THE FORMATION OF A SMOOTH MOLECULAR SURFACE

### 2.1 Introduction

The objective of this chapter is to give the full and exhaustive description of an algorithm that allows us to form an optimally smooth molecular surface via primary and secondary rolling for its further use in:

- (a) molecular editors for demonstration purposes
- (b) the calculations of the solvation energy of a molecule (the difference between its free energies in solution and vacuum) and the analytical gradients of this energy.

We shall realize this smoothness via the primary rolling of a molecule with spheres, whose radius is equal to the size of a solvent molecule (for the outer surface of a molecule), and the secondary rolling of a molecule with a variableradius sphere (for the inner surface of a molecule) with the elimination of all remaining irregularities. We should emphasize the special importance of obtaining a smooth surface for these purposes. Really, in the case of a molecular editor, the smoothness of a surface is necessary for its triangulation and further comprehensive representation, which will not contain any physically meaningless irregularities dissipating our attention.

In the case of calculating the electrostatic component of the solvation energy and its analytical derivatives, the smoothness of a surface is a necessary algorithmic stability condition, as fictitious superficial irregularities accumulate fictitious charges, thus leading to instability in the operation of an algorithm and great numerical errors [24-26].

For this reason, the formation of a smooth surface is not only an interesting mathematical problem, but is also practically important. The primary and/or subsequent secondary rolling algorithm described in this chapter was used as the base for developing the following software: PQMS [27], MSMS [28], Totrov and Abagyan's program [29], SIMS [30], TAGSS [31–33] and its improved version implemented as a subroutine of DISOLV [9,15,16]. These software and algorithms served as the base for creating the successfully operating molecular editor [33] and licensing the program for the calculation of the solvation energy and its derivatives [9,15,16].

What is the originality of our work in comparison with the other studies [27-32,34-37] that analyze the primary and/or secondary rolling of a molecular surface? First, it consists in completeness: we have considered all the possible cases of irregularity and showed the possibility of smoothing for them. Second, we try to smooth them optimally. This means that we try not only to obtain smoothness, but also to avoid to an ultimately possible degree the appearance of surface domains that, although rather smooth, are nevertheless very similar to irregularities (i.e., to avoid the appearance of very narrow "channels" and surface domains with a very small curvature radius). For all we know, this problem has been solved fully and exhaustively only in our work.

However, we should note that the problem of constructing a smooth surface without any additional constraints may be solved trivially via the simple circumscription of a sphere around a molecule. What are these constraints?

First, the atomic radii are well-defined parameters, which may not be arbitrarily varied. When the given algorithm is used to image a molecule in a molecular editor, the radii of its atoms are determined by the sizes of electron shells (so-called van der Waals radii [38,39], different sets of which are available in the literature [38-40]). When they are used to calculate the solvation energy, the initial ("rough") radii are specified as for the first case, but then refined so

that the calculated solvation energies also correspond to their experimental values.

Second, if a molecule is submerged into a solution, the radius of solvent molecules is also a well-defined value, which may not be arbitrarily varied. This radius undoubtedly has some effect on the interface between a solution and a molecule itself and selected from the same above described reasoning as for the radius of atoms in a molecule.

Let us note that the above mentioned radii rather strongly restrict the possibility of varying the surface of a molecule. But they nevertheless hold enough opportunities for us to make it smooth.

Moreover, we wish to make it not simply smooth, but optimally smooth. In the given case, optimality is understood to mean that we (a) not only search for a smooth surface, but also try to reduce its curvature without losing surface features and, in addition, (b) strive to decrease the Cartesian distance between *non-adjacent surface domains*. These domains are close to each other spatially, but remote in the case of measuring the distance between them along the surface. To estimate the degree of smoothness, we specify *the maximum critical distance*, at which non-adjacent surface domains are allowed to approach each other in the algorithm. If this approach distance is smaller than the critical distance, there occurs a similar-to-irregularity situation, which requires secondary rolling.

There exist the two types of surfaces surrounding a molecule [41]:

- (1) SAS, a solvent accessible surface, is formed by the centers of solvent molecules tangent to a substrate molecule. The number of solvent molecules tangent to the surface of a molecule is proportional to the SAS area.
- (2) SES, a solvent excluded surface. The volume occupied by a solvent lies *outside* the volume enveloped by this surface. The substrate itself lies completely *inside* this volume.

SAS can be obtained by rolling a substrate molecule with a solvent molecule and marking the positions of its center. Rolling is the displacement of a solvent molecule along the surface of a substrate and its sequential contact with all the accessible points of this substrate (Fig. 2.1). For simplicity, a solvent molecule may be replaced with a rolling sphere (a sphere circumscribed around a solvent molecule) [42-43].



Fig.2.1 Primary rolling of a surface (see [9]).

A molecular SES may be described as follows [3,44]:

- (1) Smoothedly, replacing it with simple structures like [45-52]
  - (a) A sphere,
  - (b) An ellipsoid, or
  - (c) A cylinder;
- (2) In details, reproducing all the inflections on the surface of a molecule
  - (a) By coating atoms with van der Waals spheres;

- (b) By coating chemical groups of atom with spheres;
- (c) As described in the two previous methods, but filling the remaining empty space inside SES with fictitious spheres (as implemented in the GEPOL software) [34-37]; and
- (d) With the molecular electron density level surface [53] determined via quantum mechanics or the other types of functions employed for the construction of level surfaces [54-58]. This method encounters serious difficulties: a level surface may also be nonsmooth; its implicit definition complicates triangulation; it is difficult to fit functions giving us a surface that is close to real and determined by the van der Waals radii of atoms; and
- (e) By bridging the spheres described in (a) and (b) with convex and concave surface elements [29,30].

The smoothest and most realistic surface can be obtained by method 2e considered in our work. This method allows us to obtain SES in the same manner as SAS by rolling the outer surface of a molecule with a sphere and taking:

- (1) the positions of points of contact between a rolling sphere and atoms;
- (2) the rolling sphere's geodesic arc segments that pass through two points of contact between a rolling sphere and atoms;
- (3) the segments of the lower part of a rolling sphere between its geodesic arc segments that pass through two points of contact between a rolling sphere and atoms (*primary rolling*, Fig. 2.1).

Such a technique of determining SES was first proposed in [59]. The proposed method was further developed in [29, 60-64]. However, thus obtained SES may prove to be non-smooth [28]. For its further smoothing, the inner surface of a molecule may be rolled again (*secondary rolling*, Figs. 2.2 and 2.3), as was originally proposed in [30].

This may raise the question: why are we sure that secondary rolling will successfully smooth all irregularities and no tertiary, quaternary, and so forth rolling will be required? There is the following argument for this: we have no possibility of varying the radii of atoms and primary rolling spheres. They are constant predetermined values. At the same time, the secondary rolling radius is an arbitrarily selected value and may be selected so as to be various even for the rolling of different domains of the same surface.



Fig. 2.2 Secondary rolling of a surface (see [9]).



Fig. 2.3 Applying the method of secondary rolling to the geometric configuration of several atoms.

It is intuitively clear that we can "smooth" anything, selecting the secondary rolling radius as equal to an infinitely small value. Really, there are no problems for the smooth rolling of any irregularity within an infinitely small radius. However, we strive to obtain a surface that is not merely smooth, but optimally smooth. In other words, it must not contain any elements that, although rather smooth, are nevertheless similar to irregularities. For this reason, we should try to perform secondary rolling with a maximum possible radius, taking into account the geometric hindrances of a surface. This makes the algorithm of secondary rolling nontrivial enough.

A rolling surface is composed by surface segments of the two types: spherical and toroidal. They are divided into fragments of the five types: spherical elements of van der Waals atomic spheres, concave spherical elements of primary rolling, toroidal elements of primary and secondary rolling, and convex spherical elements of secondary rolling (Fig. 2.4).

The primary and secondary rolling radii and the critical distance have a clear physical meaning. The primary rolling radius is equal to the radius of a sphere circumscribed around a solvent molecule. The secondary rolling radius and the above defined critical distance determine the minimum curvature of a molecular boundary. The lower limits for the secondary rolling radius and the above defined maximum critical distance are associated with the "smearing" of electron charge clouds, which can not give very acute angles and narrow necks and channels that may appear after primary rolling owing to the Heisenberg's uncertainty relation between the coordinate and impulse of an electron.



Fig. 2.4 Molecular surface composed of the five types of fragments: spherical elements of van der Waals atomic spheres, concave spherical elements of primary rolling, toroidal fragments of primary and secondary rolling, and convex spherical elements of secondary rolling.

## **10 CHAPTER CONCLUSIONS**

In the present work, we considered one of the aspects of improving the precision of the computer-aided prediction of the inhibiting activity of molecules that are candidates to inhibitors for specified target proteins, namely, the allowance for the effect of a solvent on the protein-ligand binding energy. The physical foundations of the four implicit (continual) solvent models implemented in the DISOLV software, such as PCM, COSMO, SGB, and PCM with enlarged elements, were described in details, and the methods of solving the corresponding equations and the foundations of the algorithm used to construct the surfaces in these models and calculate the gradients of the energy of a molecule in a solvent were discussed. The latter gradients are needed in the DISOLV software for the local optimization of the energy of a molecule in a solution. The DISOLV validation results that showed not only the possibility of attaining a good precision of calculations (at arbitrary shifts of a triangulation grid) of better that several tenths of kilocalories per mole over reasonable time periods for such large macromolecules as proteins, but also a good agreement (root-mean-square deviation, 0.8 kcal/mol) of the calculated Gibbs energies of dissolution of a molecule in water, i.e., the energy of transfer of a molecule from a vacuum into water, with their experimental values for several hundreds of neutral molecules were represented. For molecular ions, the root-mean-square deviation between the calculated and experimental solvation energies is considerably higher (10 kcal/mol), but this value also lies within the limits of measurement error in most cases. On the whole, the validation results show that

#### CONCLUSIONS

the DISOLV software can be used in the post-processing regime to refine the protein–ligand binding energy estimate given by the docking program. Recently, the new method "Multicharge Approximation" [121] was suggested for free solvation energy calculation. The authors of [121] demonstrated that "Multicharge Approximation" has the same precision as DISOLV, but is much faster. However, there was considered the version of DISOLV with non-adaptive algorithm for the triangulation of a smooth molecular surface in [121]. Using the adaptive algorithm for the triangulation of a smooth molecular surface, considered in Chapter 2 of this book, allows overcoming this disadvantage.

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# **Continuum Solution Models** for Computer Aided Drug Design

The main paradigm used in the modern development of new drugs consists in the association of a disease with the functioning of certain proteins, so they must be blocked to cure diseases. Blockage is performed with the use of molecules that selectively bind to these proteins in an organism (inhibitors). The time and material expenditures at the stage of searching for inhibitors can considerably be reduced with the use of computer-aided molecular modeling methods. The precision of estimating the protein–inhibitor binding energy governs the efficiency of predicting the activity of an inhibitor. The effect of a solvent on the protein–inhibitor binding energy is predominantly determined via the free solvation energy. To calculate the free solvation energy, it is necessary to construct a solvent model. Implicit (often called continual) solvent models, in which a solvent is treated as a continuum (continual, continuous) medium with specified properties, including dielectric permittivity, are used more frequently. We consider in the book these continuum solution models.



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